

**INSTRUCTIONS DO Problems 1,2 and 3, then any 5 of the remaining 9 problems. Clearly indicate those problems that you want graded by crossing out any work that you don't want graded . Otherwise I grade the first five (5) that have any work.**

Use Bookmarks and Thumbnails

NAME \_\_\_\_\_

Borough of Manhattan Community College

Course *Physics 215*

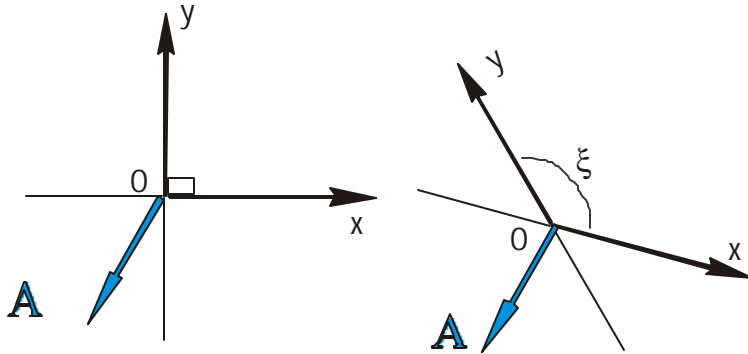
Instructor: *Dr. Hulan E. Jack Jr.*

Date **December 19 , 2002**

**Final Exam**

**1.** [12 pts Total]

a. What is a vector? Describe its defining features. [4 pts]



b. The vector A is shown in two coordinates systems. On each coordinate system sketch the x and y components of A for that system. **Briefly** explain the reason for your solutions. [8 pts] ( 4 pts

each)

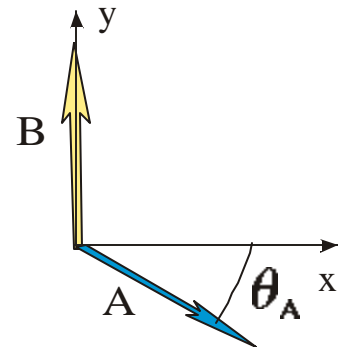
**2.** [16 pts Total] The figure shows two vectors **A** and **B** .

**A** = 15 units, **B**=10 units and  $\theta_A = 30^\circ$ .

a. Sketch the vector **D** = **A** - **B** directly on the figure. [3 pts]

b. Write the components of the two vectors [4 pts]

Symbols	Values	Symbols	Values
$A_x =$		$B_x =$	
$A_y =$		$B_y =$	



c. Write the expressions for the components, magnitude and direction of the vector **D** = **A** - **B** in terms of  $A_x$ ,  $A_y$ ,  $B_x$  , and  $B_y$ .

[9 pts total] **SYMBOLS ONLY**

**3.** [12 pts Total] Using the information  $1 \text{ Cal} = 1 \text{ kcal} = 1000 \text{ cal}$ ,  $1 \text{ cal} = 4.18 \text{ J}$ ,  $1 \text{ watt} = 1 \text{ J/s}$ ,  
 $1 \text{ day} = 24 \text{ hr}$ ,  $1 \text{ hr} = 60 \text{ min}$ ,  $1 \text{ min} = 60 \text{ s}$ .

**a.** Set up the program to go from  $1000 \text{ Cal/day}$  to watt ( $1000 \text{ Cal/day} = (?) \text{ watts}$ ) using **all** of the above information (**no numbers yet - just units**) [4 pts]

**b.** Explain by illustrating how to check the correctness of the setup program. [2pts]

**c.** Fill in the numbers **in the above setup program**. [2 pts]  
**(OK, now numbers)**

**d.** Explain by illustrating how to check the numbers for correct positions. [4 pts]

---

**4.** [12 pts Total]

A body initially rotating at a constant angular velocity  $\omega_0 = 40 \text{ rad/s}$  comes to rest ( $\omega=0$ ) in time  $t_s$  after rotating  $80 \text{ rad}$  (radians). Assuming constant angular acceleration  $\alpha$ , find  $t_s$  and  $\alpha$ .

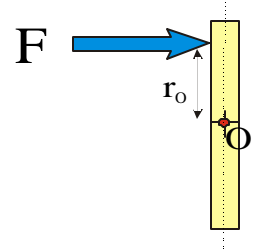
**Sketch the angular velocity vs time,  $\omega$  vs  $t$ , curve [4pts]**

**State The Principle(s) [4pts] with equations**

**Solve for  $t_s$  and  $\alpha$  [2pts each] symbols then numbers**

**Final Exam**

**5.** [12 pts Total] The rod with mass  $m = 2.0$  kg, length  $L = 1$  m, and Moment of Inertia about  $O$   $I_O = 0.167$  kg  $m^2$ , is held in vertical position as shown. It is released and hit with a swift horizontal force  $F = 5N$ , as shown in the picture. Imagine that it is space so there is no gravity acting.



- a. Describe the motion of the stick when the force hits on the center of mass  $O$ ;
- b. when it hits a distance  $r_O = 0.50$  m from  $O$ .

**State the Physical Principle (s) [2pts each]**

**Fill in the Details [2 pts each]**

**Describe the motion.[2pts each]**

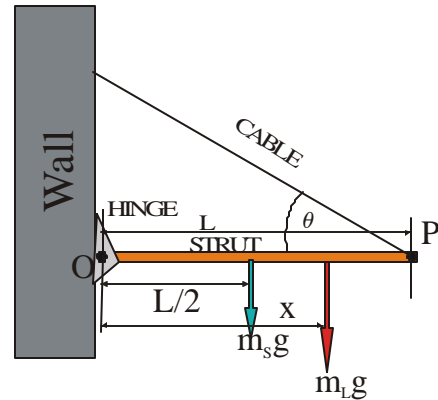
a.

b.

**6.** [12 pts Total] A horizontal uniform strut of mass  $m_s$  and length  $L$  is supported by a hinge at  $O$  and a cable at  $P$ . The cable makes an angle  $\theta$  with the horizontal, A load of mass  $m_L$  is a distance  $x$  from  $O$ . Find the tension  $T$  in the cable in terms of  $m_s$ ,  $m_L$ ,  $L$ ,  $x$  and  $\theta$ .

**Sketch FBD of the strut. 3 pts**

**State Physical Principle (s) 4 pts**



**Fill in the details and solve.**

5 pts

**7.** [12 pts Total] The absolute potential energy due to gravity of a small body of mass  $m$  a distance  $R$  from the center of a another large body of mass  $M$ , like a planet, is  $E_p = -GMm/R$ , where  $G$  is the Universal Gravitational Constant,  $G = 6.67 \times 10^{-11} \text{ Nm}^2/\text{kg}^2$ . Show that the escape velocity,  $v_e$ , of  $m$  from  $M$  is  $v_e = \text{sqrt}(2GM/R)$ .

**Write the total energy of  $m$  if it is moving with velocity  $v$ .** 4 pts

**What is meant by escape velocity  $v_e$ ? How is it defined.** 4 pts

**Solve for the escape velocity  $v_e$ .** 4 pts

---

**8.** [12 pts Total] A simple pendulum consists of a mass  $m = 1 \text{ kg}$  of very very small radius hanging at the end of a metal wire of length of  $L_0 = 1 \text{ m}$  at  $T = 30^\circ \text{ C}$ . The temperature is raised to  $100^\circ \text{ C}$ . The wire material has a coefficient of linear expansion  $\alpha = 2.0 \times 10^{-5} /^\circ\text{C}$ .

a. Show that the **period ,  $P$** , of the pendulum at  $T = 30^\circ \text{ C}$  is  $P = 2\pi\text{sqrt}(L_0/g)$ .

**Sketch a picture of the pendulum to get  $P$ .** 2 pts.

**State Physical Principle(s)** 2 pts

**Do it.** 2pts

b. Find the expression for the **period  $P$**  in terms of  $L_0$ ,  $\alpha$  and  $\Delta T$ , that is  $P(L_0, \alpha, \Delta T)$ .

**State Physical Principle(s)** 3 pts.

**Get  $P(L_0, \alpha, \Delta T)$ .** 3 pts

**Final Exam**

**9.** [12 pts Total] A hydraulic lift is schematically shown in the picture. The piston has area  $A_1 = 0.01 \text{ m}^2$  and the Lift platform area  $A_2 = 4 \text{ m}^2$ . A force  $F_1 = 100 \text{ N}$  pushes the piston down by a displacement  $\Delta x_1 = 10 \text{ m}$ .

**SYMBOLS ONLY! NO NUMBERS!**

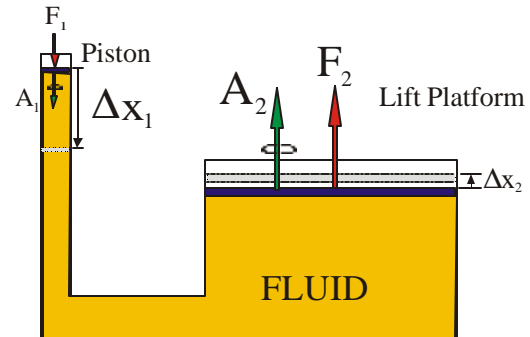
a. Find the relationship between  $F_1$ ,  $F_2$ ,  $A_1$  and  $A_2$ .

**State Physical**

**Details and Results**

**Principle (s)** 2 pts

4 pts



b. Find relationship between  $F_1$ ,  $F_2$ ,  $\Delta x_1$  and  $\Delta x_2$ .

**State Physical**

**Details and Results**

**Principle (s)** 2 pts

4 pts

**10.** [12 pts Total] On initially a windless day a leaf rests on the ground. Then a gentle breeze of air starts moving across the leaf with velocity  $v = 5 \text{ m/s}$ . What happens to the leaf. Explain.

Add whatever is needed to explain what happens when the breeze starts to blow. 3 pts.

**State Physical**  
**Principle(s)** 3 pts

**Expalin what happens and why.**  
6 pts



**11. [12 pts total]** Total] A bimetallic strip consists of two pieces of metal of different coefficients of linear thermal expansion have been welded together. The coefficients of linear thermal expansion of the metals are  $\alpha_1$  and  $\alpha_2$ , where  $\alpha_1 > \alpha_2$ . At some initial temperature,  $T_0$ , the two strips have the same length,  $L_0$ , as shown in the picture. What happens when the temperature of the strip increases by  $\Delta T$ .

**Sketch the strip after its temperature rises.**  
3 pts

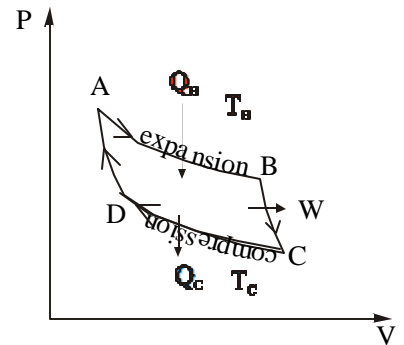
**State Physical Principle (s)**  
4 pts

**Explanation**  
5 pts



**12. [12 pts total]** Shown is the cycle of an ideal gas engine. As it expands from A to B, it absorbs heat  $Q_H$  from the hot environment which is at absolute temperature  $T_H$ . As it compresses from C to D it dumps heat  $Q_C$  into the cold environment which is at absolute temperature  $T_C$ . It does work on some external system.

**How much work does it do? What Law applies? Briefly explain. [4 pts]**



**How can you change this so that it operate as a refrigerator?**

**What does a refrigerator do. [2 pts]**

**On the diagram, sketch and label the changes in the cycle. Briefly explain what is happening [6 pts]**